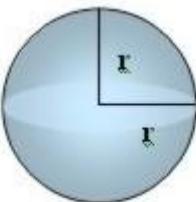
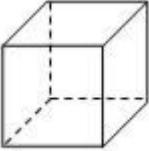
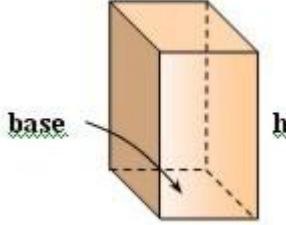
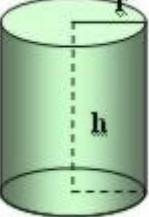
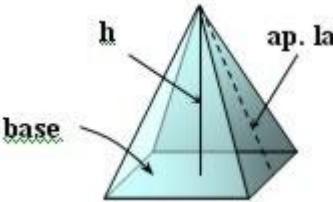
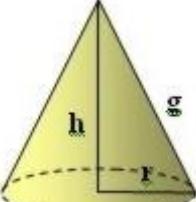


# Fórmulas de área y volumen de cuerpos geométricos

Figura	Esquema	Área	Volumen
Esfera		$A_{\text{total}} = 4\pi r^2$	$V = \frac{4}{3}\pi r^3$
Cubo		$A = 6 a^2$	$V = a^3$
Prisma		$A = S_{\text{uma}} \text{ de } A_{\text{caras}}$	$V = A_b \cdot h$
Cilindro		$A_{\text{base}} = \pi r^2$ $A_{\text{lateral}} = 2\pi r h$ $A_{\text{total}} = 2\pi r h + 2\pi r^2$	$V = A_{\text{base}} \cdot h$ $V = \pi r^2 \cdot h$
Pirámide		$A_{\text{base}} = A_{\text{Polígono}}$ $A_{\text{lateral}} = \text{Suma } A_{\text{triáng.}}$ $A_{\text{Total}} = A_{\text{base}} + A_{\text{Lateral}}$	$V = \frac{A_{\text{base}} \cdot h}{3}$
Cono		$A_{\text{base}} = \pi r^2$ $A_{\text{lateral}} = \pi r g$ $A_{\text{total}} = \pi r^2 + \pi r g$	$V = \frac{A_{\text{base}} \cdot h}{3}$ $V = \frac{\pi r^2 h}{3}$

# POLIEDROS REGULARES

Figura	Esquema	Nº de caras	Área
Tetraedro		<b>4 caras, triángulos equiláteros</b>	$A = a^2 \cdot \sqrt{3}$
Octaedro		<b>8 caras, triángulos equiláteros</b>	$A = 2 \cdot a^2 \cdot \sqrt{3}$
Cubo		<b>6 caras, cuadrados</b>	$A = 6 a^2$
Dodecaedro		<b>12 caras, pentágonos regulares</b>	$A = 12 \frac{\text{perímetro} \cdot \text{apotema}}{2}$ $A = 12 \frac{5 a \cdot \text{apotema}}{2}$ $\mathbf{A = 30 \cdot a \cdot ap.}$
Icosaedro		<b>20 caras, triángulos equiláteros</b>	$A = 5 \cdot a^2 \cdot \sqrt{3}$